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Stability Analysis of Fast Food Consumption Dynamics Using a Fractional-Order Framework

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Abstract

In this research, we propose a novel fractional-order model, referred to as PLSCQ, which is designed to capture the dynamics of fast food consumption and its impact on both health and social behavior. The model incorporates the Caputo derivative and classifies individuals into five distinct categories: potential fast food consumers P, moderate consumers L, excessive consumers S, individuals affected by obesity C, and those who have ceased consuming fast food Q. These categories encompass the full range of fast food consumption behaviors, from those who may potentially consume it to those who have experienced its detrimental consequences, such as obesity, cardiovascular diseases, and social problems like accidents and violence associated with unhealthy eating habits.

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